

**Elastic backscattering measurements
and optical potential analysis for the
systems ${}^6,7\text{Li} + {}^{58}\text{Ni}$, ${}^{116,120}\text{Sn}$, ${}^{208}\text{Pb}$ at
sub- and near – barrier energies**

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Outline

- Motivation
- Experimental setup
- The results: Determination of barrier distribution via elastic scattering
Optical potential analysis
- Conclusion: Optical Potentials
Reaction mechanisms

Motivation

Elastic backscattering measurements are valuable tool for:

- Probing the nuclear potential at sub and near barrier energies
- Probing reactions mechanisms connected with direct procedures

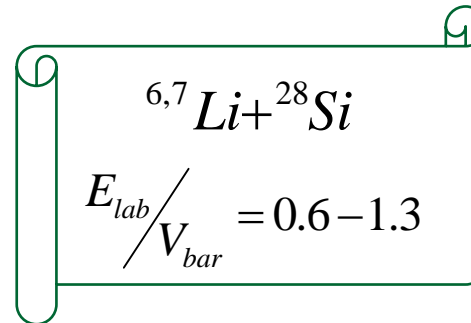


Excitation functions of σ/σ_R

Determination of barrier distributions

Motivation

Previous experiment 



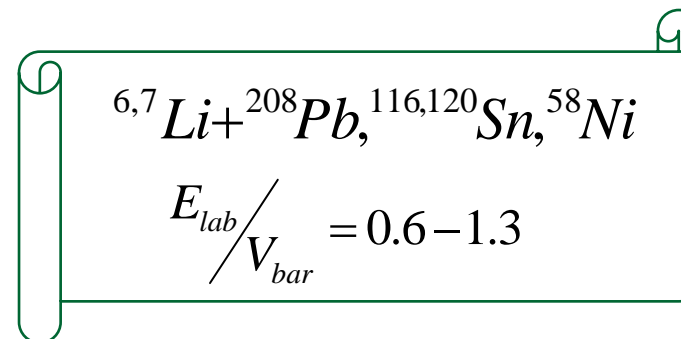
PRC 80, 017601
2009

PRC 82, 044607
2010

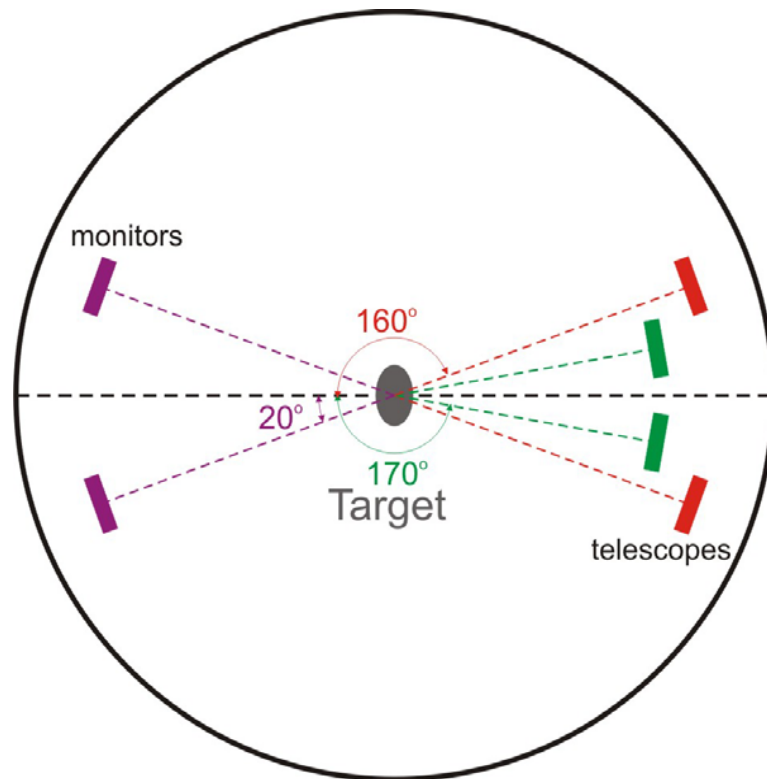
Conclusion:

Backscattering technique is a more accurate technique to probe the optical potential than the conventional angular distribution

Current work 



Experimental setup



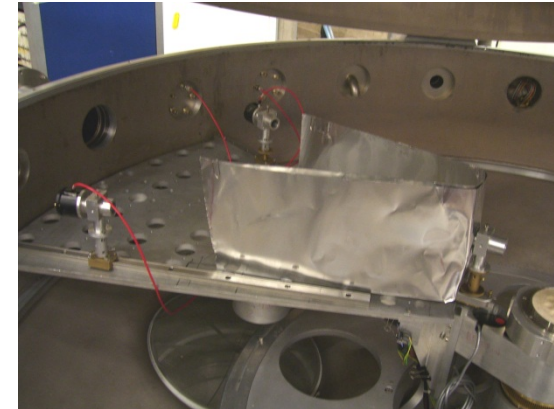
Details:

$$R_{20} = 800 \text{ mm}$$

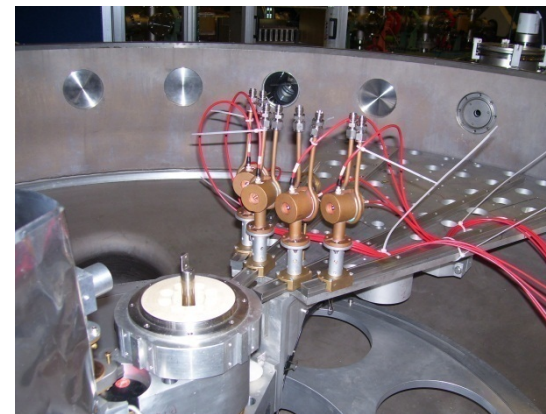
$$R_{160} = 210 \text{ mm}$$

$$R_{170} = 165 \text{ mm}$$

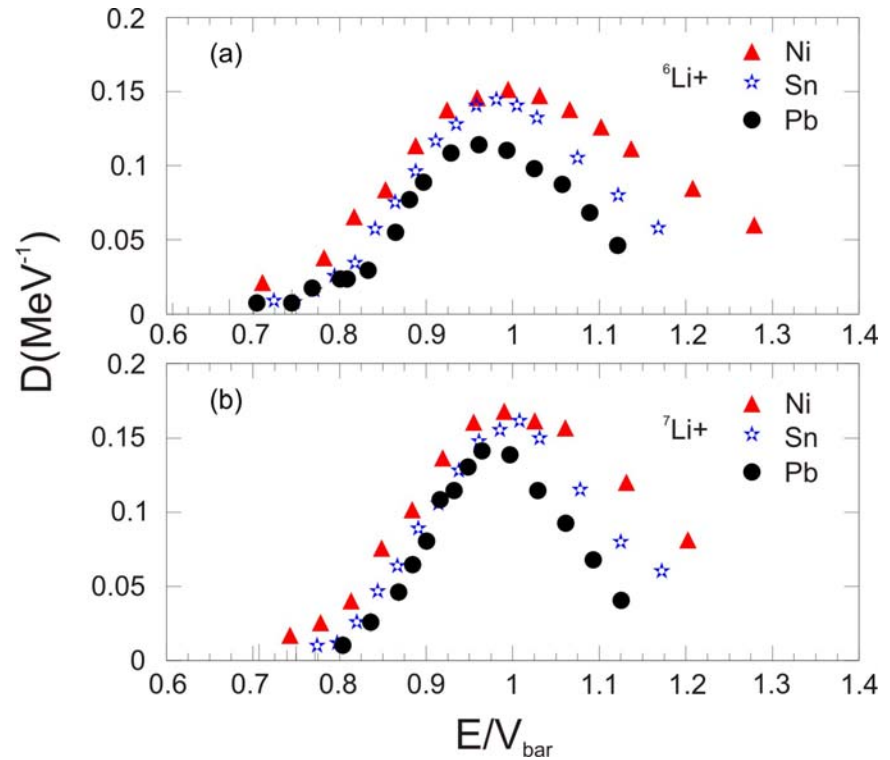
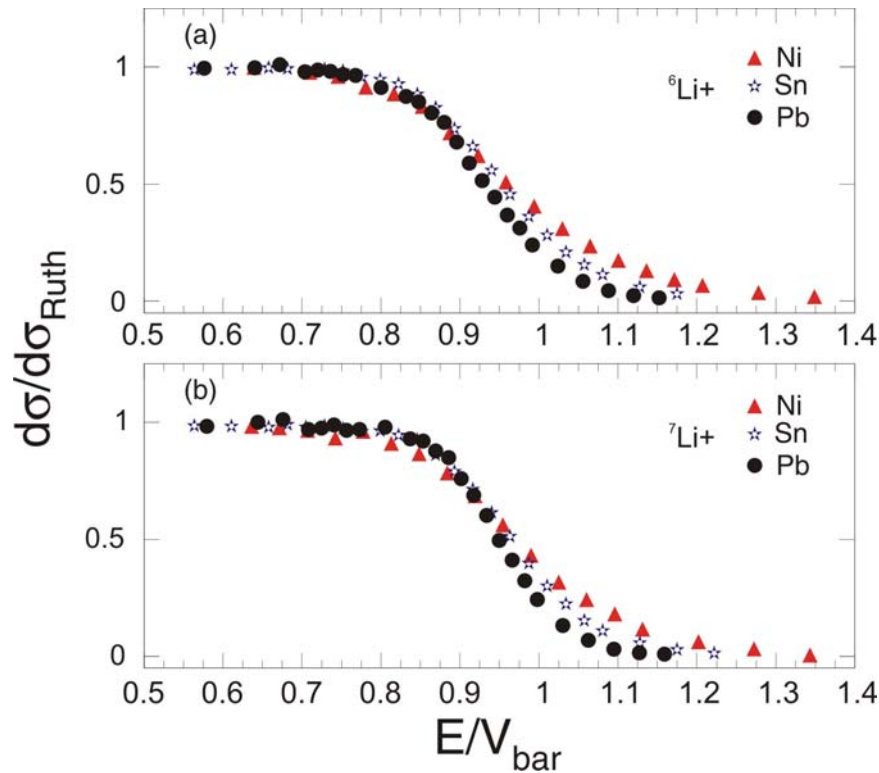
$$d = 200 \mu\text{g}/\text{cm}^2$$



← ^{6,7}Li beam $E = 0.6 - 1.3 \text{ E}/V_{\text{bar}}$



Barrier distribution via elastic scattering



$$\frac{\sigma_{el(170^\circ)}(E)}{\sigma_{Ruth(170^\circ)}(E)} = \frac{N_B \cdot \Omega_F \cdot \sigma_{Ruth(30^\circ)}(E)}{N_F \cdot \Omega_B \cdot \sigma_{Ruth(170^\circ)}(E)}$$

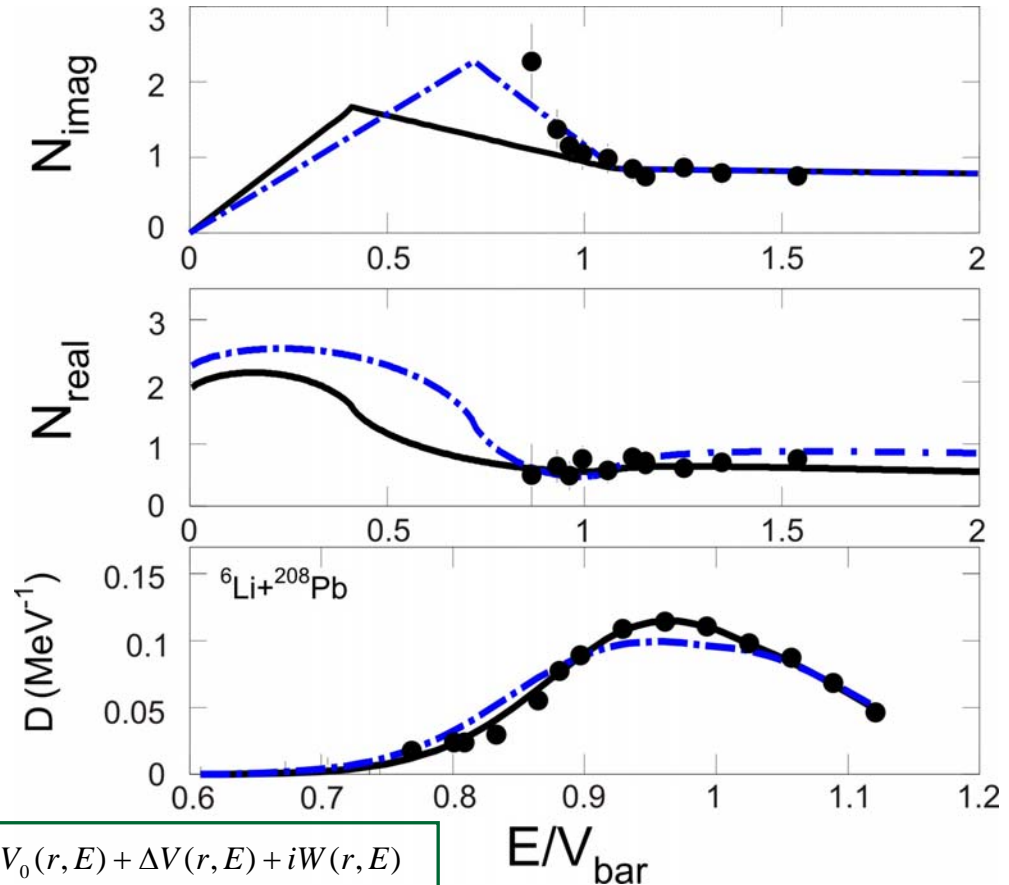
$$D_{el}(E) = -\frac{d}{dE} \left[\sqrt{\frac{d\sigma_{el}}{d\sigma_{Ruth}}(E)} \right]$$

Optical model analysis

Starting point: **Imaginary potential**

Main steps:

- Draw a straight line to define the imaginary potential above the Coulomb barrier.
- Define the energy point where a second line should be drawn.
- Define the slope of the second line.
- Define the last energy point, where the imaginary potential drops to zero.



Dispersion relation \Rightarrow

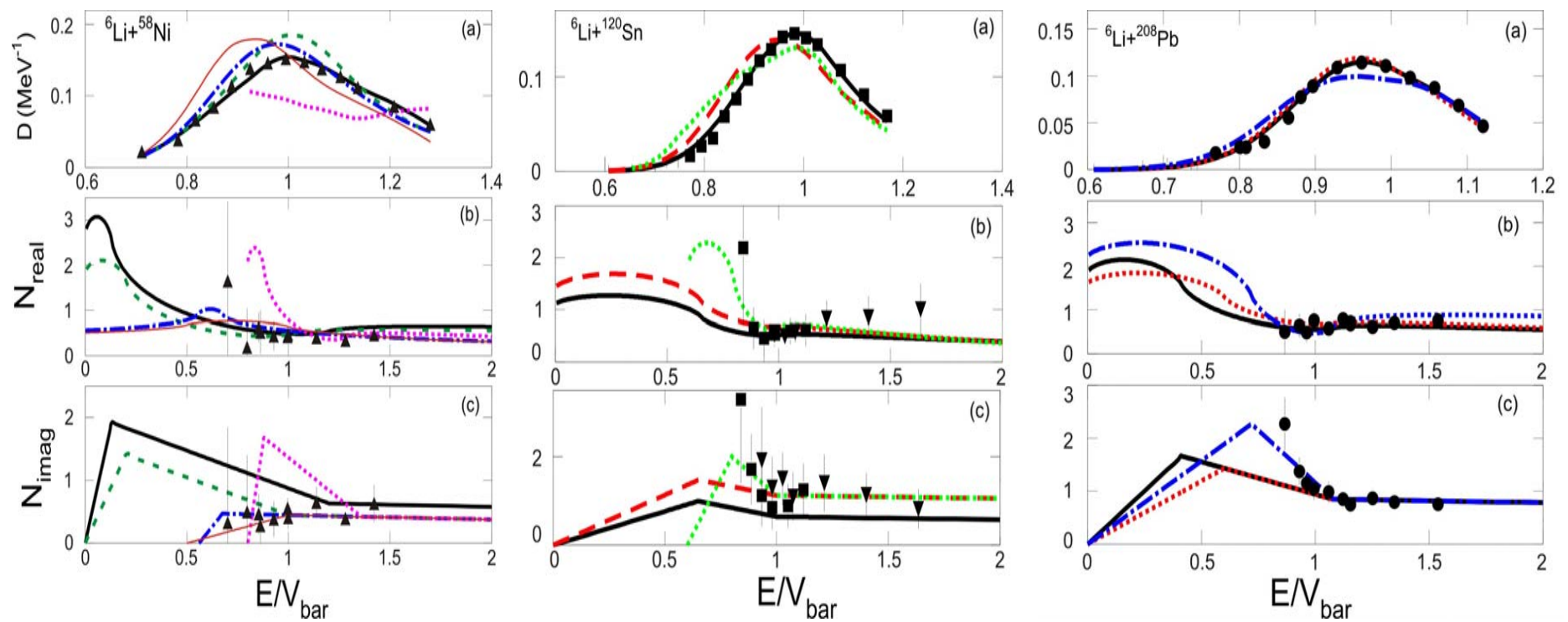
$$U(r, E) = V_0(r, E) + \Delta V(r, E) + iW(r, E)$$

$$\Delta V = \frac{P}{\pi} \int_0^{\infty} \frac{W(r, E')}{E' - E} dE'$$

E/V_{bar}

Optical model analysis

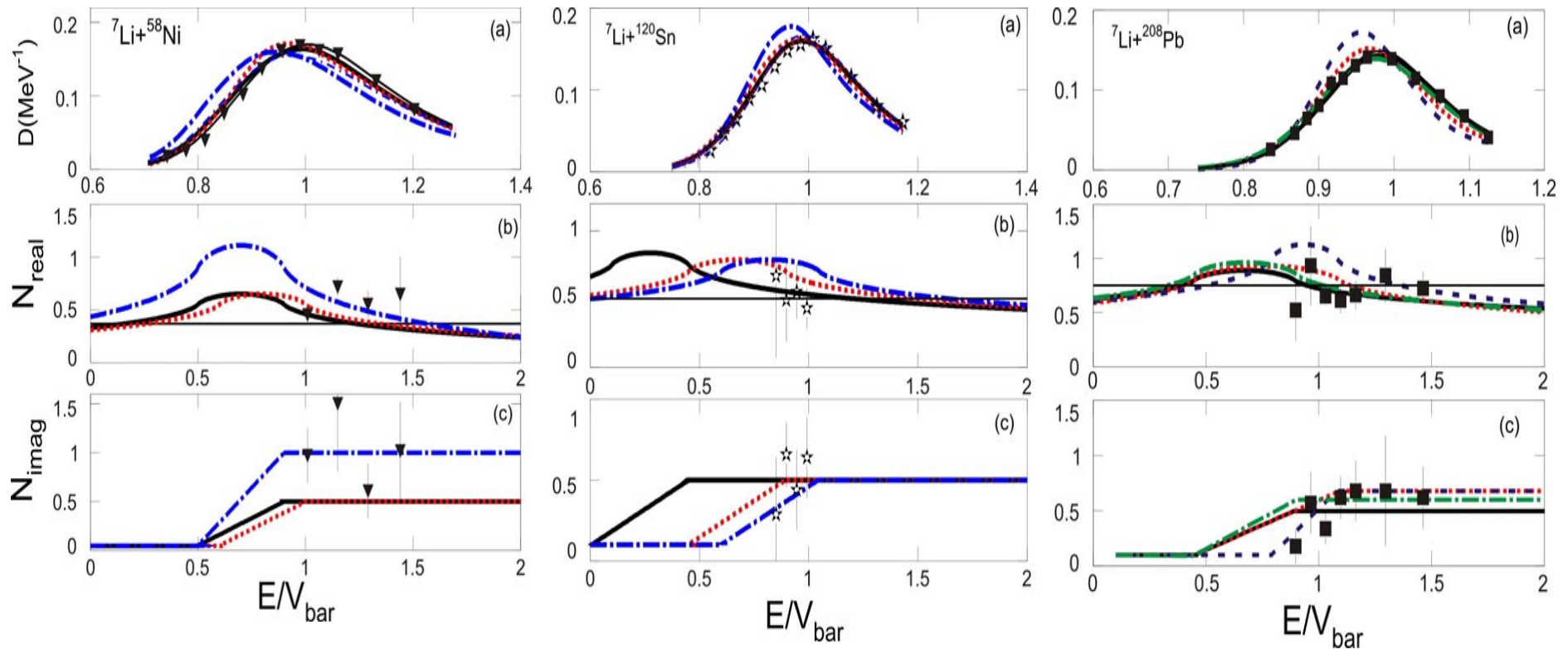
${}^6\text{Li}$ on different targets



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Optical model analysis

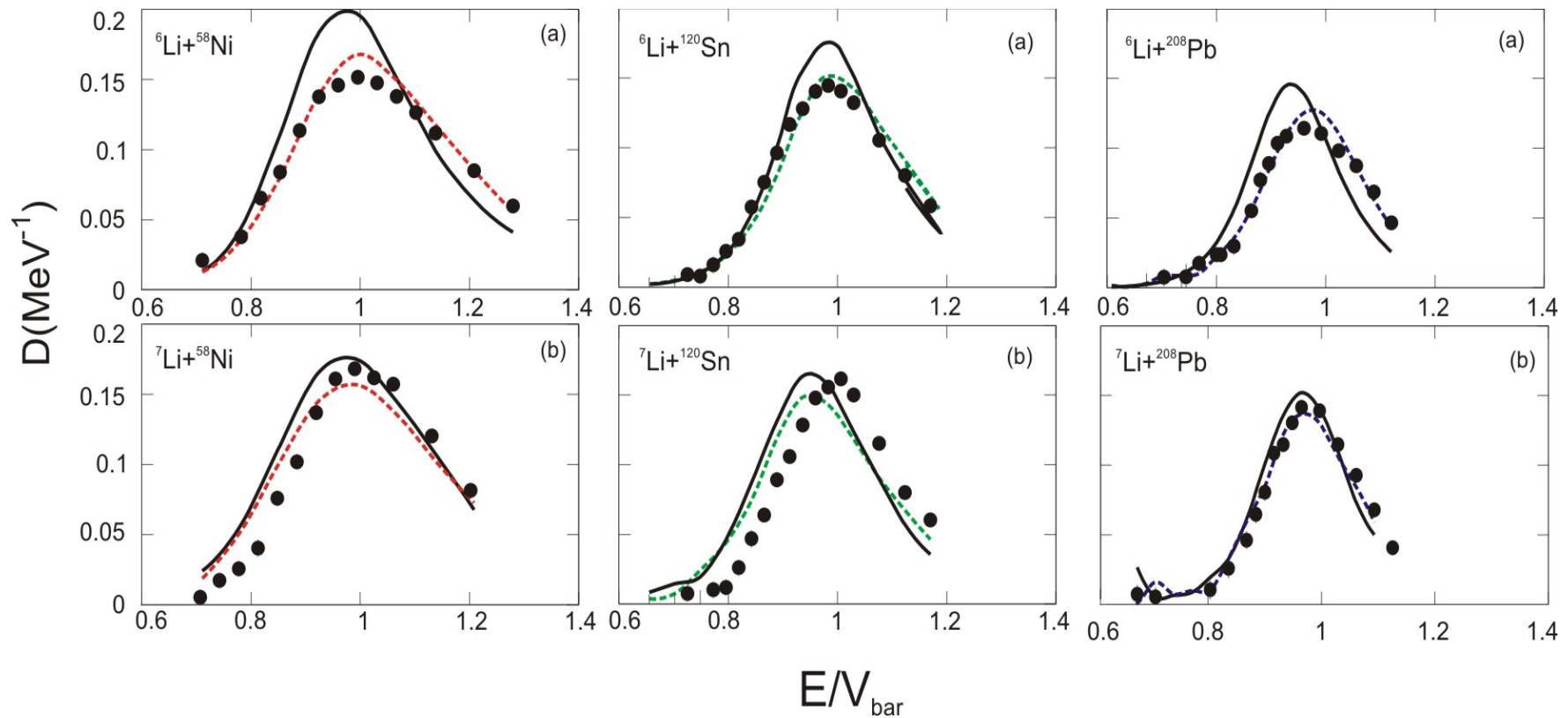
${}^7\text{Li}$ on different targets



EPJA Vol.48 (7), p.102, 2012

Reaction mechanisms

$6,7\text{Li}$ on different targets



Calculated by K. Rusek - EPJA Vol.48 (7), p.102, 2012

Conclusions

■ Optical potential

The backscattering technique is a valuable tool for predicting the optical potential at sub and near barrier energies.

For weakly bound nuclei the imaginary potential persists either with an increasing trend (${}^6\text{Li}$) or a flat behavior (${}^7\text{Li}$) to sub-barrier energies near $E/V_{\text{bar}}=0.5$

For ${}^6\text{Li}$ the rising part has the larger slope for the heavier targets and the smaller slope for the lighter.

These measurements indicate, especially for ${}^7\text{Li}$, that the dispersion relation connecting the imaginary and the real part of the optical potential may not be valid to weakly bound nuclei in accordance to initial predictions by Satchler.

■ Reaction mechanisms

Coupling to the continuum are strong and important.

Collaborators

- University of Ioannina, Greece
- INFN-LNS, Catania, Italy
- Dipartimento di Scienze Fisiche and INFN, Università di Napoli, Italy
- The Andrzej Soltan Institute for Nuclear Studies and Warsaw University, Poland
- CEA SACLAY, France
- Dipartimento di Fisica and INFN , Università di Padova, Italy
- National Institute for Physics and Nuclear Engineering (NIPNE), Romania
- University of Huelva, Spain

